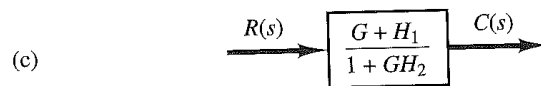
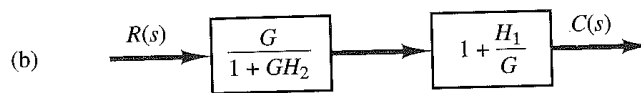
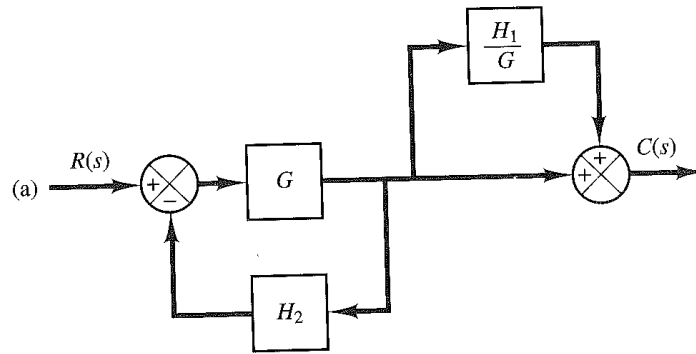
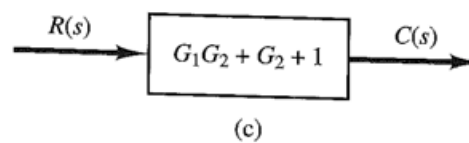
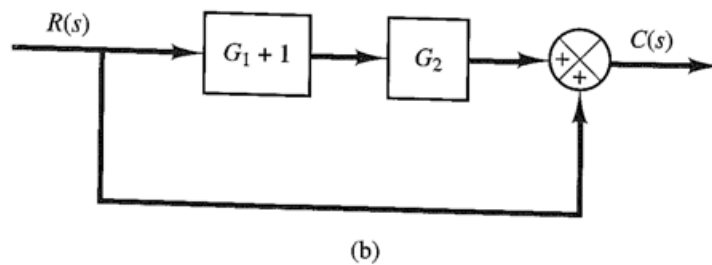
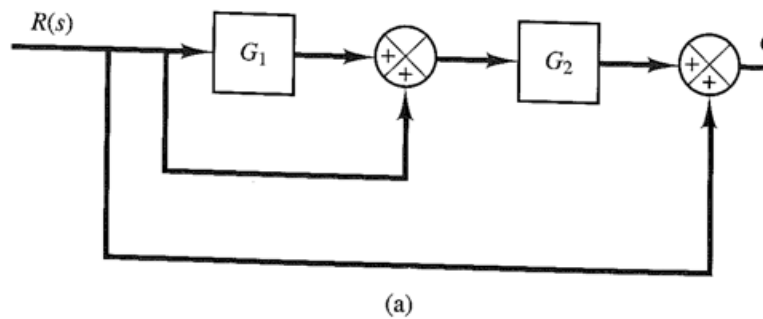


1-01-c – Tutorial Solution- System Block Diagrams

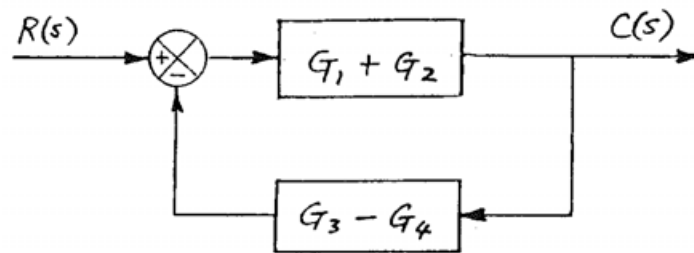
Q1



Q2

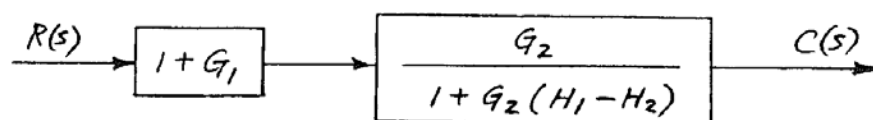
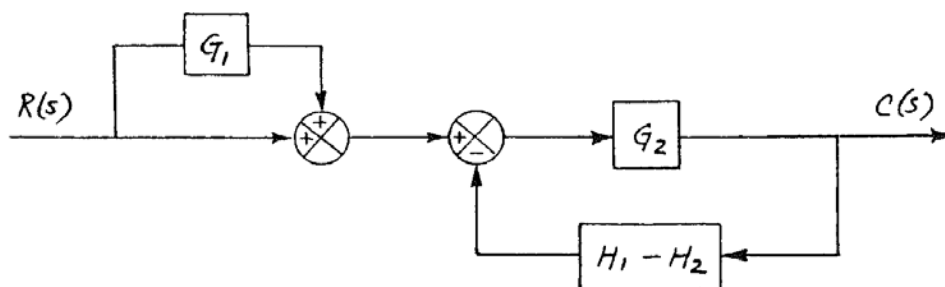


Q3



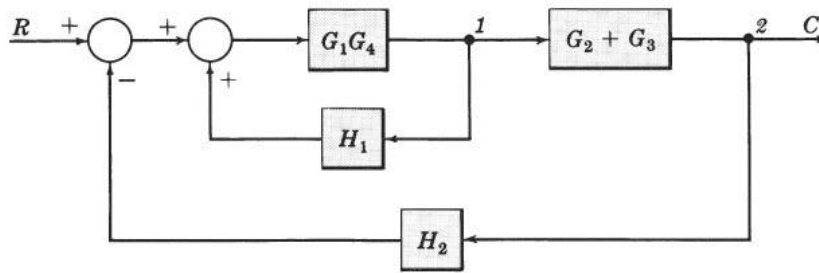
$$\frac{C(s)}{R(s)} = \frac{G_1 + G_2}{1 + (G_1 + G_2)(G_3 - G_4)}$$

Q4

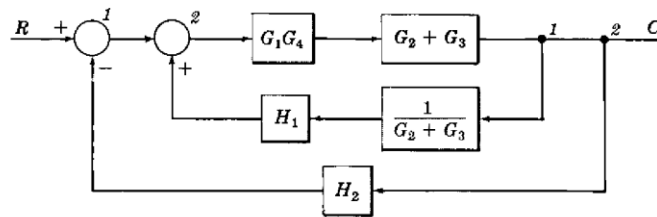


$$\frac{C(s)}{R(s)} = \frac{(1 + G_1)G_2}{1 + G_2(H_1 - H_2)}$$

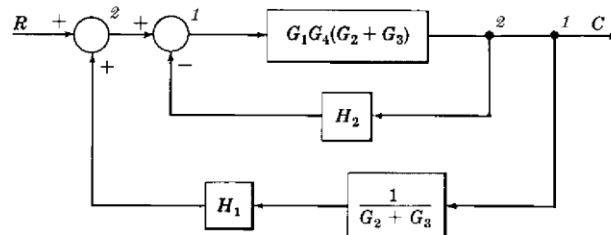
Q5 (ex 7-10 Schaum's) step 1 & 2



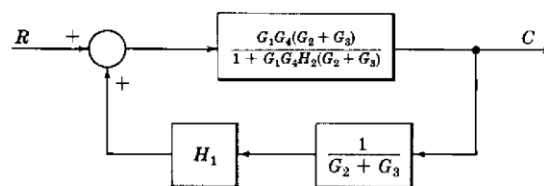
We do not apply Step 3 at this time, but go directly to Step 4, moving takeoff point 1 beyond block $G_2 + G_3$:



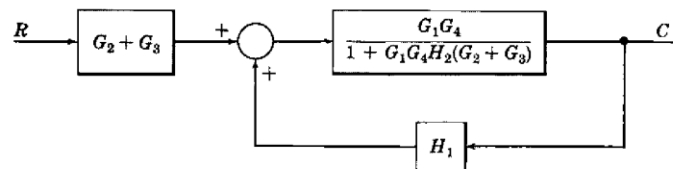
We may now rearrange summing points 1 and 2 and combine the cascade blocks in the forward loop using Transformation 6, then Transformation 1:



Step 3:



Finally, we apply Transformation 5 to remove $1/(G_2 + G_3)$ from the feedback loop:



Note that the same result could have been obtained after applying Step 2 by moving takeoff point 2 ahead of $G_2 + G_3$, instead of takeoff point 1 beyond $G_2 + G_3$. Block $G_2 + G_3$ has the same effect on the control ratio C/R whether it directly follows R or directly precedes C .